## Population Growth

Formulas:
$N_{1}=N_{0}+r N_{0}$
$r=\frac{N_{1}-N_{0}}{N_{0}}$
You start with 20 rabbits (assume there are and equal number of males and females).
Your rabbits are a slow breeding variety that you allow to breed only once a year. On average you only get three baby rabbits a year for every 10 adults in your breeding population.

What is $\mathrm{N}_{0}$ (That is, the number you have right now, at the start)? $\qquad$
How many baby rabbits will you have next year? $\qquad$
How many total rabbits will you have in your population next year $\left(N_{1}\right)$ ? $\qquad$
What is the value of $r$ for this population? $\qquad$
Calculate the following values and then draw a graph of the population size over time.

| $t$ <br> (Time in years) | $N$ <br> (Current Pop. Size) | $r N_{t}$ <br> Number of baby rabbits produced |
| :--- | :--- | :--- |
| 0 | 20 |  |
| 1 |  |  |
| 2 |  |  |
| 3 |  |  |
| 4 |  |  |
| 5 |  |  |
| 6 |  |  |
| 7 |  |  |
| 8 |  |  |
| 9 |  |  |
| 10 |  |  |



When was the change in population size the slowest and when was it the fastest? (Look at either $r N_{t}$ or the steepness of the line on your graph).

If the population growth rate $(r)$ was the same throughout, why wasn't the change in population size constant? (Why isn't your graph a straight line?

## Growth with limits

In the real world, what are some of the likely consequences that might occur when a population becomes too large?

